

Planck's Hubble Constant and 120 Supernovae Type Ia Show that the Expansion of our Local Universe is Decelerating

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Abstract

The Bayesian regression curve for 120 Supernovae Type Ia, Khetan et al., 2021, corresponds within the margin of errors to the Hubble constant $H_0=67.4 \text{ kms}^{-1} \text{ Mpc}^{-1}$ determined by the Planck Collaboration in 2020. If we from this curve read which distance modulus μ that corresponds to the redshift $z=0.08$ we get $\mu=37.76$. From an equation by Stephen Weinberg, published in 1972, we can now calculate the cosmic deceleration $q_0=+1.060 \pm 0.039$. This possibility was found during a successful test of the Hubble constant $H_0=67.3 \text{ kms}^{-1} \text{ Mpc}^{-1}$, determined from the BL Lac object AP Lib, against the calibration by Khetan et al. This means that H_0 , determined by the Planck Collaboration in 2020, and the well-calibrated sample of Supernovae Type Ia, by Khetan et al., proves that the expansion of our local Universe is decelerating at least within the nearest 1 billion light years. The $q_0=+1.075$ value, from AP Lib, gives an independent support to this result because it falls within the limits of error $q_0=+1.060 \pm 0.039$ of Planck's final result.

Keywords: *Supernovae Ia; Hubble constant; Deceleration of universe; Kerr black hole; Massive gravity*

Introduction

Bengt Westerlund, former Director of ESO in Chile, 1969–1975, had performed photoelectric observations of the BL Lacerate object AP Lib 1969–1982 [1]. In 1984, he asked the author of the present paper to analyze his and published observations. Two periodic variations were discovered with periods, 953.806 and 45.357 days. A phase shift of the shorter period with amplitude ± 11.5 days is caused by orbital motion of a secondary object, with intrinsic periodic 45.357 days, around a primary object with the orbital period 953.806 days. The conclusion is that AP Lib is a binary black hole system with the possibility to determine the total mass from Kepler's third law. To calculate the absolute magnitude of the accretion disk around a Kerr black hole, a computer program was developed according to a theory by Kip Thorne [2]. To test the results the Hubble constant= H_0 was calculated. Results from the recent paper by Khetan et al. (2021, hereafter K21) seemed to offer a good possibility to test the quality of the H_0 value and distance modulus, $\mu=m-M$, determined from AP Lib. (m =apparent magnitude and M =absolute magnitude.) The authors of this paper had performed a new calibration of the peak absolute magnitude of Type Ia Supernovae (SNe Ia) based on the Surface Brightness Fluctuations (SBF) method in order to measure the value of the Hubble constant [3]. They built a sample of calibrating anchors consisting of 24 SNe hosted in galaxies that have SBF distance measurements. They applied a hierarchical Bayesian approach, calibrated the SN Ia peak luminosity and extended the Hubble diagram into the Hubble flow by including a sample of 96 SNe Ia in the redshift range $0.02 < z < 0.075$, which they extracted from the Combined Pantheon Sample (CPS). They estimated a value of $H_0=70.50 \pm 2.37$ (stat.) ± 3.38 (sys.) $\text{kms}^{-1} \text{ Mpc}^{-1}$ (i.e., 3.4% stat., 4.8% sys.), which is in agreement with the value obtained using the tip of the red giant branch calibration [4].

The $q_0=1.075$ value was calculated in May 2022. Several recent papers indicate problems with the Standard λ CDM-model. On 2023-09-11 Nhat-Minh Nguyen et al. published: Evidence for Suppression of Structure Growth in the Concordance Cosmological Model [5]. On 2024-02-10 Adam Riess et al. published a paper with the title: JWST Observations Reject Unrecognized Crowding of Cepheid Photometry as an Explanation for the Hubble Tension at 8σ Confidence [6]. Charlie Wood published on 2024-04-04 the

paper: Dark Energy May Be Weakening, Major Astrophysics Study Finds [7].

Method

The investigation started with a search for periods in the photoelectric observations by the author's own computer program. In fact the best solutions were pairs of periods and it was impossible to choose the best pair. This problem was solved by a similar search for periods in a sample of photographic observations performed with the Metcalf 10 inch astrograph at the Harvard observatory during the 1930th. There was only one common pair of periods in the two samples. When both samples was tested together the final periods were $p=953.806$ days and 45.357 days. In the residuals there was found a third period $p=3.21755$ days which corresponds to the motion in the last marginally stable orbit in the accretion disk around the central black hole. These periods can also be found in observations at radio wavelengths and from optical polarisation. The corresponding light curves were analyzed by a computer program constructed by the author. In these program periodic variations with up to three independent periods can be presented as Fourier curves with individually chosen order. The periodic variation with $p=953.806$ days can be described as a seventh order Fourier curve with three max and min. The $p=45.357$ days variations corresponds to a third order Fourier curve with two max and min and the $p=3.21755$ days variation is approximated as a fourth order Fourier curve with three max and min. The three max and min of the 953.806 days curve are caused by eclipses of the central accretion disk by clouds at the Lagrange points in the binary system L3, L4 and L5. However, there is also a significant peak at the phase when the two black holes are aligned between L4 and L5, when the smaller black hole acts as a gravitational lens for the brightest spot in the accretion disk around the central black hole. At that phase the optical polarisation is heavily disturbed. Calculations of eclipses of the central accretion disk by the three clouds show that the highest angular altitude of the clouds from the orbital plane is $5^\circ \pm 1^\circ$. The motion of the three objects in the last marginally stable orbit with $p=3.21755$ days is best studied at radio wavelength. AP Lib is a binary black hole system with the inclination of the orbital plane of $87^\circ \pm 1^\circ$. Between L3, L4 and L5, there exist gaps that make it possible to directly see the accretion disk around the central massive black hole. The accretion disk is not homogenous because the infilling matter can only enter the disk in the gaps between L3, L4 and L5 and in the innermost orbit only Doppler boosted light from one of the mass concentrations can be directed towards the observer at the same time. The total mass of the system, calculated from the third law by Kepler is 5% greater than the mass of the primary object calculated from the orbital period of the last marginally stable orbit at the inner edge of the accretion disk. In the analysis of the photometry of AP Lib, the contribution from the two objects had to be separated to make it possible to study them individually and to subtract scattered light in the system [1]. Careful removal of the scattered light was necessary to isolate the light from the accretion disk around the central black hole and to determine its apparent magnitude (m). The mass of the central black hole is $1.3 \times 10^9 M$ (sun). The absolute magnitude (M) of the accretion disk was calculated using Kip Thorne's Model [2]. The light emitted from the accretion disk towards the observer must be corrected for its inclination, the mass and spin of the central black hole, the energy efficiency factor, and the light extinction. To check if the model and the computer program worked correctly, the author decided to calculate the Hubble constant H_0 [8].

To investigate the deceleration of the Universe the author used a purely kinematic cosmological model that gives the luminosity distance as a function of redshift Weinberg and Visser [9, 10]. The parameterization assumes a Robertson–Walker metric in a flat space for the geometry of the Universe and it is based on the Taylor series expansion of the Hubble–Lemaître law. This law is expressed using two additional parameters, q_0 and j_0 , where q_0 is the cosmic deceleration and j_0 is the third derivative of the scale factor, the so-called cosmic jerk K21 [3]. Assumed that the Universe is flat and limited their calculations to the expansion of the luminosity distance to the second order in z , the redshift. If one neglects $O(z^3)$ and higher-order terms, the corresponding distance modulus is given as:

$$\mu(z, H_0) = 5 \log_{10} c \times \frac{z}{H_0} \times \left[1 + \frac{1}{2} \times (1 - q_0) \times z - \frac{1}{6} \times (1 - q_0 - 3 \times q_0^2 + j_0) \times z^2 \right] + 25 \quad (1)$$

where c is the speed of light.

They fixed the value of the deceleration and jerk parameters to $q_0=-0.55$ and $j_0=1$, [11, 12]. In their redshift range of cosmological sample ($0.009 < z < 0.075$), K21 assumed that any assumption about the expansion history of the Universe does not significantly affect the final estimate of H_0 and they concluded that fixing the values of q_0 and j_0 does not bias their estimates of H_0 [13].

Results

From the investigation of AP Lib it was found that $H_0=67.3 \text{ kms}^{-1} \text{ Mpc}^{-1}$ and the distance modulus $m-M=36.67$ [8]. The author's value of $H_0=67.3 \text{ kms}^{-1} \text{ Mpc}^{-1}$ is determined using the datum of AP Lib, and should if valid apply to all points on the regression curve according to Eq. (1) [9, 10]. From Eq. (1), it was now possible to calculate the deceleration q_0 from μ , z and H_0 , with $j_0=1$. With $H_0=67.3 \text{ kms}^{-1} \text{ Mpc}^{-1}$ and the distance modulus $\mu=36.67$ (determined from AP Lib) and its redshift $z=0.0486$, and $j_0=1$, we get

$q_0=1.075$, which is significantly positive. From the regression curve K21, we can read the value $\mu=37.76$ for the redshift $z=0.080$ and with $H_0=67.4 \pm 0.5 \text{ km s}^{-1} \text{ Mpc}^{-1}$, the final result of the Planck project, we can calculate $q_0=1.060 \pm 0.039$, see the thick solid lines in **FIG. 1**. These values imply that the expansion of our local Universe is slowing down. In the last twenty years different research groups have proposed values for the Hubble constant, $70 < H_0 < 76 \text{ km s}^{-1} \text{ Mpc}^{-1}$. However, the final result from the Planck project is $H_0=67.4 \pm 0.5 \text{ km s}^{-1} \text{ Mpc}^{-1}$ and it differs not significantly from the authors value $H_0=67.3 \text{ km s}^{-1} \text{ Mpc}^{-1}$. On the other hand, these two values differ significantly from the values of H_0 determined from the most recent analyses of Supernovae. This is a great problem in cosmology because the difference is of the order 5 sigma [12-14].

Discussion

K21 claim that their $H_0=70.5 \text{ km s}^{-1} \text{ Mpc}^{-1}$ corresponds to the curve in their figure. However, K21 estimated the Hubble constant H_0 from eq. (1) in the present paper. The scrutiny of the relevance of the AP Lib results began by plotting the value of the distance module and the measured redshift of Disney et al. [14]. At the top the results of K21 that figure shows their calibrated distance module versus the redshift and the corresponding Bayesian regression curve. It is an unexpected outcome that the AP Lib datum falls exactly atop the regression curve.

However, this perfect match confirms the relevance of the calibration of the observations and the quality of the theoretical model for the radiation from an accretion disk around a Kerr black hole by Thorne [2]. It is important that this completely independently determined value is consistent with the other values in the figure, which are based on photometric calibrations of Supernovae. However, the Supernovae values are somewhat scattered about the regression curve.

To calculate H_0 , K21 used $q_0=-0.55$ and $j_0=1$ and Eq. (1) to get $H_0=70.5 \text{ km s}^{-1} \text{ Mpc}^{-1}$. In their figure, they plotted the distance modulus from their cosmological samples versus redshift [3]. The distance modulus is computed from the luminosity calibration relation obtained with the SBF sample. The solid curve in the same figure shows the best-fit model derived from a Bayesian regression and the residuals are shown in the bottom panel. The author calculated a curve that corresponds to their values $q_0=-0.55$, $j_0=1$ and $H_0=70.5 \text{ km s}^{-1} \text{ Mpc}^{-1}$ and over plotted this curve on their **FIG. 1** as the dotted curve with the calculated black dots.

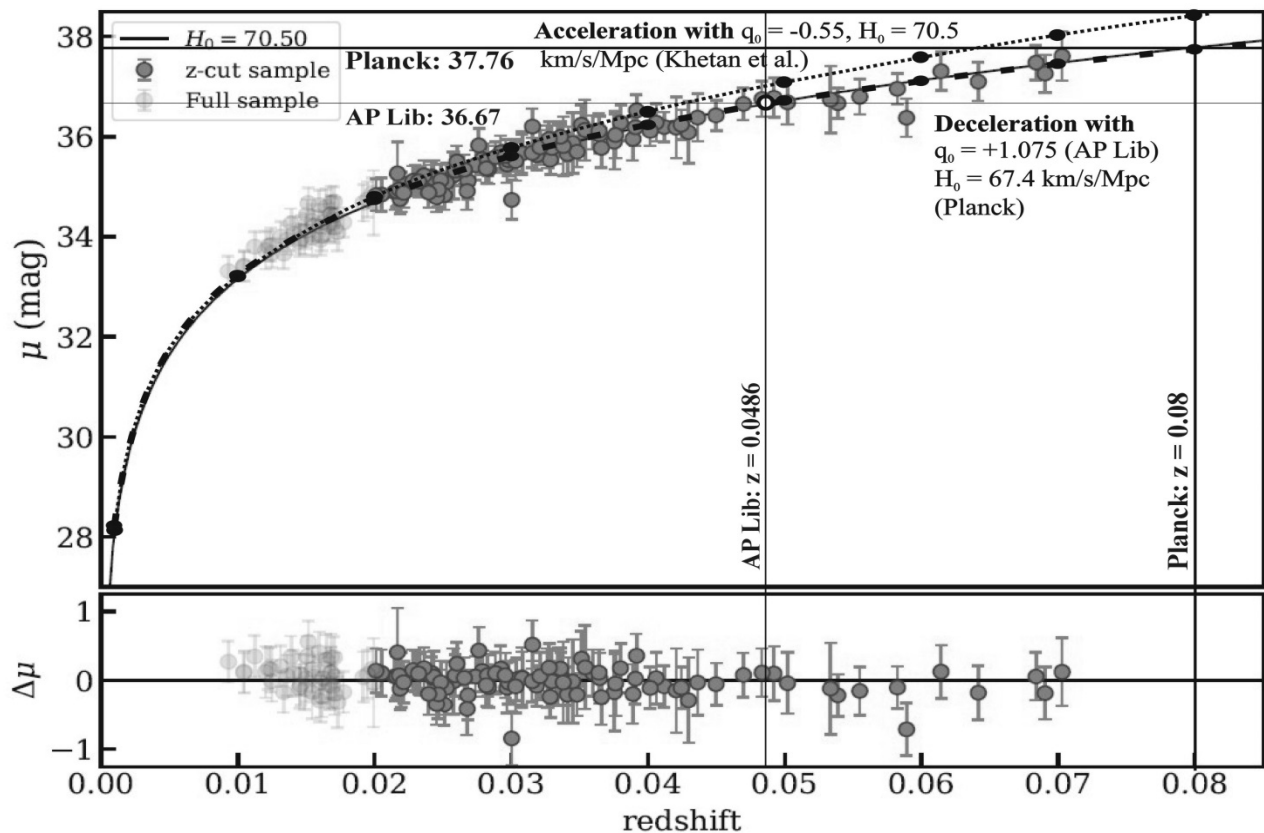


FIG. 1. Distance moduli (upper panel) and residual values (lower panel) plotted versus redshift. The black solid thin curve represents the hierarchical Bayesian regression curve. The author of the present paper has added the dotted curve and black dots with $q_0=-0.55$ and $H_0=70.5 \text{ km s}^{-1} \text{ Mpc}^{-1}$ from and the dashed curve and black dots with $q_0=+1.075$ and $H_0=67.4 \text{ km s}^{-1} \text{ Mpc}^{-1}$. The white dot corresponds to the distance modulus $\mu=36.67$ determined for AP Lib by Henriksson at the observed redshift $z=0.0486$, Disney et al. [3, 8, 14].

A corresponding curve for a solution consisting of $q_0=1.075$, from AP Lib, and $H_0=67.4 \text{ kms}^{-1} \text{ Mpc}^{-1}$, from CMB by the Planck collaboration was calculated [12]. This is displayed as the dashed curve with black dots in **FIG. 1**. It is worth noting that in **FIG. 1**, the black regression curve determined by K21 falls under the dashed curve. This means that this solution agrees perfectly in all details with the Bayesian regression curve that represents the calibrated data by K21. These data can be used to determine the deceleration $q_0=+1.060 \pm 0.039$ of our local Universe at least within distances of 1 billion light years.

Summary

Initially, the main reason to write this paper was to test the quality of the results from the analysis of the binary black hole system AP Lib and especially the value of $H_0=67.3 \text{ kms}^{-1} \text{ Mpc}^{-1}$ and the distance modulus $m-M=36.67$ by Henriksson and the observed $z=0.0486$ [14]. K21 seemed to be a very good choice for this test. The value from AP Lib, the black circle with white filling, falls perfectly on the regression curve in **FIG. 1**. However, the conclusion that the local Universe is decelerating is the main result of this paper. The validity is strongly supported by the fact that the value of the Hubble constant $H_0=67.3 \text{ kms}^{-1} \text{ Mpc}^{-1}$, determined from observations of AP Lib, differs insignificantly from the final result $67.4 \text{ kms}^{-1} \text{ Mpc}^{-1}$ of Planck collaboration. To avoid subjective misinterpretations when different authors opinions are confronted the present author has chosen to use exact quotations of their own texts and use definitions from The SAO Encyclopaedia of Astronomy [3-15].

Giostrì et al. present results from an analysis that includes higher order than two in z . They write in their abstract:

We use Type Ia Supernovae (SN Ia) data in combination with recent Baryonic Acoustic Oscillations (BAO) and Cosmic Microwave Background (CMB) observations to constrain a kink-like parameterization of the deceleration parameter (q). This q -parameterization can be written in terms of the initial (q_i) and present (q_0) values of the deceleration parameter, the redshift of the cosmic transition from deceleration to acceleration (z_t) and the redshift width of such transition (τ). Our results indicate, with a quite general and model independent approach, that MLCS2k2 (Jha et al. 2007) favors Dvali Gabadadze Porrati like cosmological models, while SALT2 (Guy et al. 2007) favors λ CDM-like ones. Progress in determining the transition redshift and/or the present value of the deceleration parameter depends crucially on solving the issue of the difference obtained when using these two light-curve fitters. The references correspond to the intense search for distant Supernovae resulted in the two important papers of Riess et al. and Perlmutter et al. In both papers, "Dark Energy" plays an important role. According to The SAO Encyclopaedia of Astronomy: Dark Energy is a hypothetical form of energy that exerts a negative, repulsive pressure behaving like the opposite of gravity. It has been hypothesised to account for the observational properties of distant Type Ia Supernovae, which show the Universe going through an accelerated period of expansion [16-19].

According to SAO, both research teams announced that:

Distant, $z=1$ Type Ia Supernovae were slightly too faint than model predictions of an expanding (yet slowing) Universe. To be fainter, the Supernovae must be farther away and this requires that the expansion of the Universe was slower in the past. Both teams agreed that the Universe is going through a phase of accelerated expansion. Dark Energy was invoked to drive this acceleration.

However, the observations by K21 shown in **FIG. 1**, fit perfectly with a Universe that is decelerating within at least the nearest 1 billion light years. Because the Dark Energy is described as a homogenous accelerating field, opposite of gravity, distributed throughout the Universe, our local decelerating volume should not exist. The result of this paper can be interpreted as a proof against the existence of the hypothetical Dark Energy. It should be pointed out that the well-established Eq. (1) is not good enough for $z>0.24$. It is necessary to introduce higher orders than two in z to determine q_0 for $z=1$ and the result is no longer unique.

On the other hand, the model by Dvali et al. is based on Massive Gravity. They have included the mass of the gravitational field in their solution of Einstein's equations. The author has tested this theory on a local scale such as our solar system by studying the lunar secular acceleration back to 3653 BC from identifications of 33 total solar eclipses Henriksson. When all known components of the lunar secular acceleration were taken into account, including the precession of the geodesic by Einstein, there was still a significant residual effect that matched the theory of Massive Gravity [20-23].

The study began with the determination of the radius of crossover when the Universe had become so big that not all gravitons could reach the most distant galaxies and the gravitational forces between these galaxies weakened. This has been interpreted as an acceleration of the Universe. From the radius of crossover it was possible to calculate the mass of the graviton because the radius of crossover is defined as the inverse of the mass of the graviton. This acceleration started 4.54 Gy after the Big Bang and the mass of the graviton $m_g=1.31 \pm 0.01 \cdot 10^{-56} \text{ g}$ Henriksson. However, this predicted acceleration of the Universe has no effect in our local volume of the Universe and the deceleration determined in this paper is not in conflict with the theory of Massive Gravity [21-23].

Conclusions

It is remarkable that the value of the Hubble constant seems to have been constant during the evolution of the Universe since the emission of the CMB radiation. The expansion of the Universe is decelerating in our local Universe. However, this local

deceleration is not in conflict with the acceleration of the Universe at great distances predicted in the theory of Massive Gravity. The author's analysis shows that there is no need for Dark Energy.

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Declaration of Competing Interests

There exist no competing interests.

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